# Theory and Phenomenology of Exotic Isosinglet Quarks and Squarks 

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## Motivations

$\Rightarrow$ Exotic $S U(2)$-singlet quarks appear in many contexts

- $S O(10), E_{6}, U(1)$-prime models, NMSSM,...
- Extremely common in semi-realistic string constructions
- Can be perfectly consistent with gauge coupling unification
$\Rightarrow$ A rich laboratory for new physics to explore:
- Mixing
- Leptoquarks
- Diquarks
- Quasi-stable
$\Rightarrow$ Good case study for "what-if" scenarios at the LHC... even within SUSY contexts!


## A Framework: $E_{6}$-based Models

$\Rightarrow$ Why $E_{6}$ ?

- Logical coherence
- Smallest (non-anomalous) extension of the MSSM capable of producing all the above cases
- Long pedigree among model-builders
- Common in string constructions
$\Rightarrow$ Standard Model gauge group typically extended by additional $U(1)$ 's

$$
\begin{aligned}
E_{6} & \rightarrow S O(10) \times U(1)_{\psi} \\
& \rightarrow S U(5) \times U(1)_{\chi} \times U(1)_{\psi} \\
& \rightarrow S U(3) \times S U(2) \times U(1)_{Y} \times U(1)_{\chi} \times U(1)_{\psi}
\end{aligned}
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& \rightarrow S U(3) \times S U(2) \times U(1)_{Y} \times U(1)_{\chi} \times U(1)_{\psi} \\
& \text { We will not consider true } E_{6} \text { GUTs! }
\end{aligned}
$$

- NO additional $S U(2)$ singlets and doublets
- NO Z'-bosons
- NO additional neutralinos
- NO GUT relations amongst Yukawa couplings
$\Rightarrow$ Fundamental $\mathbf{2 7} \boldsymbol{\rightarrow} \mathbf{1 6}$ of $\mathbf{S O}(10)+\left\{D, D^{c}\right\},\{H, \bar{H}\}$ and singlet $S$

| Field | $Q_{Y}$ | $2 \sqrt{6} Q_{\psi}$ | $2 \sqrt{10} Q_{\chi}$ | $2 \sqrt{15} Q_{\eta}$ |
| :---: | :---: | :---: | :---: | :---: |
| $Q_{i}$ | $1 / 6$ | 1 | -1 | 2 |
| $u_{i}^{c}$ | $-2 / 3$ | 1 | -1 | 2 |
| $d_{i}^{c}$ | $1 / 3$ | 1 | 3 | -1 |
| $L_{i}$ | $-1 / 2$ | 1 | 3 | -1 |
| $e_{i}^{c}$ | 1 | 1 | -1 | 2 |
| $\nu_{i}^{c}$ | 0 | 1 | -5 | 5 |
| $\left(H_{u}\right)_{i}$ | $1 / 2$ | -2 | 2 | -4 |
| $\left(H_{d}\right)_{i}$ | $-1 / 2$ | -2 | -2 | -1 |
| $D_{i}$ | $-1 / 3$ | -2 | 2 | -4 |
| $D_{i}^{c}$ | $1 / 3$ | -2 | -2 | -1 |
| $S_{i}$ | 0 | 4 | 0 | 5 |

$\Rightarrow$ In principle, as many as two surviving $U(1)$-primes... In practice, we only consider one combination:

$$
Q^{\prime}=Q_{\chi} \cos \theta_{E}+Q_{\psi} \sin \theta_{E} ; \quad U(1)_{\eta} \rightarrow \theta_{E}=2 \pi-\tan ^{-1} \sqrt{5 / 3}
$$

## Superpotential Interactions

$\Rightarrow$ Gauge invariant superpotential for $E_{6}$ is simply $W=\lambda_{i j k} 27_{i} 27_{j} 27_{k}$

- Allowed couplings when broken into SM gauge group

$$
\begin{aligned}
W= & W_{0}+W_{\mathrm{LQ}}+W_{\mathrm{DQ}} \\
= & \lambda_{i j}^{1} Q_{i} u_{j}^{c} H_{u}+\lambda_{i j}^{2} Q_{i} d_{j}^{c} H_{d}+\lambda_{i j}^{3} L_{i} e_{j}^{c} H_{d}+\lambda_{i j}^{11} L_{i} \nu_{j}^{c} H_{u} \\
& +\lambda^{4} S H_{d} H_{u}+\lambda_{i j}^{5} S D_{i} D_{j}^{c}+W_{\mathrm{LQ}}+W_{\mathrm{DQ}}
\end{aligned}
$$

- Couplings of exotics to Standard Model fields

$$
\begin{array}{r}
W_{\mathrm{LQ}}=\lambda_{i j k}^{6} D_{i} u_{j}^{c} e_{k}^{c}+\lambda_{i j k}^{7} D_{i}^{c} Q_{j} L_{k}+\lambda_{i j k}^{8} D_{i} d_{j}^{c} \nu_{k}^{c} \\
W_{\mathrm{DQ}}=\lambda_{i j k}^{9} Q_{i} Q_{j} D_{k}+\lambda_{i j k}^{10} D_{i}^{c} u_{j}^{c} d_{k}^{c}
\end{array}
$$

## Superpotential Interactions

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W_{\mathrm{DQ}}=\lambda_{i j k}^{9} Q_{i} Q_{j} D_{k}+\lambda_{i j k}^{10} D_{i}^{c} u_{j}^{c} d_{k}^{c}
\end{array}
$$

$\Rightarrow$ Vacuum expectation value $\langle S\rangle \equiv s$ generates supersymmetric mass terms $\lambda_{4} s \equiv \mu_{\mathrm{eff}}$ and $\lambda_{5} s \equiv M_{D}$
$\Rightarrow$ If both $W_{\mathrm{LQ}}$ and $W_{\mathrm{DQ}}$ then fast proton decay

- No unambiguous $B$ and $L$ quantum number possible for $D, D^{c}$


## Masses and Charge Assignments

$\Rightarrow$ Will thus assume a conserved $B$ and $L$ and choose $B(D)$ and $L(D)$ values
Leptoquark $B(D)=1 / 3$ and $L(D)=1$; only $W_{\mathrm{LQ}}$ allowed
Diquark $B(D)=-2 / 3$ and $L(D)=0$; only $W_{\mathrm{DQ}}$ allowed
Standard $B(D)=1 / 3$ and $L(D)=0$; both $W_{\mathrm{LQ}}$ and $W_{\mathrm{DQ}}$ forbidden

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Standard $B(D)=1 / 3$ and $L(D)=0$; both $W_{\mathrm{LQ}}$ and $W_{\mathrm{DQ}}$ forbidden
$\Rightarrow$ Scalar mass matrices depend on SUSY breaking and $U(1)$-prime charges

$$
\begin{aligned}
& m_{\widetilde{D}}^{2}=\left(\begin{array}{cc}
m_{a a}^{2} & m_{a b}^{2} \\
m_{a b}^{2} & m_{b b}^{2}
\end{array}\right) \\
& m_{a a}^{2}=m_{\widetilde{D}}^{2}+m_{D}^{2}+\frac{1}{3} \sin ^{2} \theta_{W} \cos 2 \beta M_{Z}^{2}+g^{\prime 2} Q_{D}^{\prime}\left(Q_{S}^{\prime} s^{2}+Q_{H_{u}}^{\prime} v_{u}^{2}+Q_{H_{d}}^{\prime} v_{d}^{2}\right) \\
& m_{b b}^{2}=m_{\widetilde{D}^{c}}^{2}+m_{D}^{2}-\frac{1}{3} \sin ^{2} \theta_{W} \cos 2 \beta M_{Z}^{2}+g^{\prime 2} Q_{D^{c}}^{\prime}\left(Q_{S}^{\prime} s^{2}+Q_{H_{u}}^{\prime} v_{u}^{2}+Q_{H_{d}}^{\prime} v_{d}^{2}\right) \\
& m_{a b}^{2}= m_{D}\left(A_{5}+\mu_{\text {eff }}\left(\frac{v_{u} v_{d}}{s^{2}}\right)\right),
\end{aligned}
$$

## Our Benchmark Cases

## Sample spectra for the exotic SUSY sector

| Parameter | A | B | C | D | E |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $M_{D_{1 / 2}}$ | 300 | 300 | 300 | 600 | 1000 |  |
| $m_{D_{0}}$ | 400 | 400 | 1000 | 400 | 400 |  |
| $m_{D_{0}^{c}}$ | 400 | 400 | 1000 | 400 | 400 |  |
| $A_{5}$ | 350 | 150 | 100 | 600 | 1050 |  |
| $U(1)_{\eta}$ Model |  |  |  |  |  |  |
| $M_{D_{0}^{1}}$ | 367 | 441 | 1024 | 388 | 318 |  |
| $M_{D_{0}^{2}}$ | 587 | 553 | 1053 | 932 | 1482 |  |

(All values are in GeV at the electroweak scale)
$\Rightarrow$ It is convenient to define the mass splitting measurs

$$
\Delta_{1} \equiv m_{D_{1 / 2}}-m_{D_{0}^{1}} ; \quad \Delta_{2} \equiv m_{D_{1 / 2}}-m_{D_{0}^{2}}
$$

$\Delta_{1}<0 \rightarrow$ fermion lightest exotic particle (LEP)

## Some Sample Patterns for Splitting $\Delta_{1}$

Fixed fermion mass
$M_{D}=300 \mathrm{GeV}$


Fixed (common) scalar mass

$$
M_{D_{0}}=m_{\widetilde{D}}=m_{\widetilde{D}^{c}}=400 \mathrm{GeV}
$$


$\Delta_{1}<0 \rightarrow$ fermion lightest exotic particle (LEP)

## Future Reference: SPS1A

$\Rightarrow$ For comparison, consider the particle spectrum for Snowmass Point 1A

| Parameter | SPS 1A | Parameter | SPS 1A |
| :--- | :---: | :--- | :---: |
| $m_{\tilde{N}_{1}}$ | 99.9 | $m_{\tilde{t}_{1}}$ | 381.4 |
| $m_{\tilde{N}_{2}}$ | 188.4 | $m_{\tilde{t}_{2}}$ | 587.3 |
| $m_{\widetilde{N}_{3}}$ | 375.5 | $m_{\tilde{c}_{1}}, m_{\tilde{u}_{1}}$ | 535.3 |
| $m_{\tilde{N}_{4}}$ | 394.0 | $m_{\tilde{c}_{2}}, m_{\tilde{u}_{2}}$ | 554.5 |
| $m_{\widetilde{C}_{1}^{ \pm}}$ | 187.7 | $m_{\tilde{b}_{1}}$ | 504.5 |
| $m_{\tilde{C}_{2}^{ \pm}}$ | 394.7 | $m_{\tilde{b}_{2}}$ | 535.0 |
| $m_{\tilde{g}}$ | 627.9 | $m_{\tilde{s}_{1}}, m_{\tilde{d}_{1}}$ | 534.4 |
| B-ino\% | $97.4 \%$ | $m_{\tilde{s}_{2}}, m_{\tilde{d}_{2}}$ | 559.3 |
| $m_{h}$ | 111.7 | $m_{\tilde{\tau}_{1}}$ | 145.5 |
| $m_{A}$ | 412.7 | $m_{\tilde{\tau}_{2}}$ | 220.6 |
| $m_{H}^{ \pm}$ | 420.3 | $m_{\tilde{\mu}_{1}}, m_{\tilde{e}_{1}}$ | 145.8 |
| $\mu$ | 369.4 | $m_{\tilde{\mu}_{2}}, m_{\tilde{e}_{2}}$ | 211.4 |

$\Rightarrow$ Signatures at the LHC depend on how $\Delta_{i}$ compare to SUSY mass values

## Modifying PYTHIA

$\Rightarrow$ The entire exotic sector was added to PYTHIA

- Six new states: $D_{1 / 2}^{\mathrm{LQ}},\left(D_{0}^{\mathrm{LQ}}\right)_{1,2}, D_{1 / 2}^{\mathrm{DQ}},\left(D_{0}^{\mathrm{DQ}}\right)_{1,2}$
- SUSY and non-SUSY decay modes for each state (more later)
- New production processes:

$$
\begin{aligned}
& \text { * } q+\bar{q} \rightarrow D_{1 / 2}^{\mathrm{LQ}}+\overline{D_{1 / 2}^{\mathrm{LQ}}}, D_{1 / 2}^{\mathrm{DQ}}+\overline{D_{1 / 2}^{\mathrm{DQ}}} \\
& g+g \rightarrow D_{1 / 2}^{\mathrm{LQ}}+\overline{D_{1 / 2}^{\mathrm{LQ}}}, D_{1 / 2}^{\mathrm{DQ}}+\overline{D_{1 / 2}^{\mathrm{DQ}}} \\
& q+\bar{q} \rightarrow\left(D_{0}^{\mathrm{LQ}}\right)_{i}+\left(\overline{D_{0}^{\mathrm{LQ}}}\right)_{j},\left(D_{0}^{\mathrm{DQ}}\right)_{i}+\left(\overline{\left.D_{0}^{\mathrm{DQ}}\right)_{j}}\right. \\
& \star g+g \rightarrow\left(D_{0}^{\mathrm{LQ}}\right)_{i}+\left(\overline{D_{0}^{\mathrm{LQ}}}\right)_{j},\left(D_{0}^{\mathrm{DQ}}\right)_{i}+\left(\overline{D_{0}^{\mathrm{DQ}}}\right)_{j} \\
& \text { * } q+g \rightarrow\left(D_{0}^{\mathrm{LQ}}\right)_{i}+e^{-} \text {or } \nu_{e} \\
& \star \bar{q}+g \rightarrow\left(D_{0}^{\mathrm{DQ}}\right)_{i}+\bar{q} \\
& \text { * } \bar{u}+\bar{d} \rightarrow\left(D_{0}^{\mathrm{DQ}}\right)_{i} \text { (resonant production) }
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$\Rightarrow$ New color flow algorithms for diquark interactions....

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$\Rightarrow$ New color flow algorithms for diquark interactions....ACK!!

$$
W_{\mathrm{DQ}}=\lambda_{i j k}^{9} Q_{i} Q_{j} D_{k}+\lambda_{i j k}^{10} D_{i}^{c} u_{j}^{c} d_{k}^{c}
$$

## Pair Production at the LHC




## Associated Production at the LHC



Leptoquark associated production

$$
\left(q+g \rightarrow D_{0}^{\mathrm{LQ}}+\ell, \nu\right)
$$



Diquark associated production

$$
\left(\bar{q}+g \rightarrow D_{0}^{\mathrm{DQ}}+\bar{q}\right)
$$

$\Rightarrow$ Large production cross-sections...should we have seen them by now?

## Bounds: Direct Searches

## Diquarks

- Search for resonant scalar production and subsequent decays into two jets
- Assuming $\operatorname{Br}\left(D_{0}^{\mathrm{DQ}} \rightarrow \bar{q} \bar{q}\right)=1$, CDF excludes $300 \mathrm{GeV} \lesssim m_{D_{0}^{1}} \lesssim 450 \mathrm{GeV}$ at 95\% C.L.
- Limit essentially disappears for smaller $\operatorname{Br}\left(D_{0}^{\mathrm{DQ}} \rightarrow \bar{q} \bar{q}\right)$


## Leptoquarks

- Limits on scalar leptoquark pair production at Tevatron as a function of $\operatorname{Br}\left(D_{0}^{\mathrm{LQ}} \rightarrow \ell q\right)$ and $\operatorname{Br}\left(D_{0}^{\mathrm{LQ}} \rightarrow \nu q\right)$ at $95 \%$ C.L.:

$$
\begin{aligned}
& m_{D_{0}^{1}} \geq 256,234,145 \mathrm{GeV} \text { for } \operatorname{Br}\left(D_{0}^{\mathrm{LQ}} \rightarrow e q\right)=1,0.5,0.1 \\
& m_{D_{0}^{1}} \geq 251,208,143 \mathrm{GeV} \text { for } \operatorname{Br}\left(D_{0}^{\mathrm{LQ}} \rightarrow \mu q\right)=1,0.5,0.1
\end{aligned}
$$

- HERA (H1 and ZEUS) limits, assuming $\operatorname{Br}\left(D_{0}^{\mathrm{LQ}} \rightarrow \ell q\right)=\operatorname{Br}\left(D_{0}^{\mathrm{LQ}} \rightarrow \nu q\right)$ :

$$
\begin{aligned}
& m_{D_{0}^{1}} \gtrsim 290 \text { for } \lambda^{9}=\lambda^{10} \equiv \lambda=0.3 \\
& m_{D_{0}^{1}} \gtrsim 270 \text { for } \lambda^{9}=\lambda^{10} \equiv \lambda=0.1
\end{aligned}
$$

## Prompt Decay Final States

Fermionic LEP
Scalar LEP
Case A Case B Case C Case D Case E

| Decay | $D_{1 / 2}$ | $D_{0}^{1}$ | $D_{1 / 2}$ | $D_{0}^{1}$ | $D_{1 / 2}$ | $D_{0}^{1}$ | $D_{1 / 2}$ | $D_{0}^{1}$ | $D_{1 / 2}$ | $D_{0}^{1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| partner $+\widetilde{\chi}_{1}^{0}$ |  |  |  | $\checkmark$ |  | $\checkmark$ | $\checkmark$ |  | $\checkmark$ |  |
| partner $+\widetilde{\chi}_{2}^{0}$ |  |  |  |  |  | $\checkmark$ | $\checkmark$ |  | $\checkmark$ |  |
| partner $+\widetilde{\chi}_{3}^{0}$ |  |  |  |  |  | $\checkmark$ |  |  | $\checkmark$ |  |
| partner $+\widetilde{\chi}_{4}^{0}$ |  |  |  |  |  | $\checkmark$ |  |  | $\checkmark$ |  |
| partner $+\widetilde{g}$ |  |  |  |  |  | $\checkmark$ |  |  | $\checkmark$ |  |
| $\tilde{f}+f^{\prime}$ | $\checkmark$ LQ | NA | $\checkmark$ LQ | NA | $\checkmark$ LQ | NA | $\checkmark$ | NA | $\checkmark$ | NA |
| $f+f^{\prime}$ | NA | $\checkmark$ | NA | $\checkmark$ | NA | $\checkmark$ | NA | $\checkmark$ | NA | $\checkmark$ |
| $\widetilde{\chi}_{1}^{0}+f+f^{\prime}$ | $\checkmark$ DQ |  | $\checkmark$ DQ |  | $\checkmark$ DQ |  |  |  |  |  |

Masses for $U(1)_{\eta}$ model (GeV)


## Leptoquark Production at the LHC

Pair production

$q+g \rightarrow D_{0}^{\mathrm{LQ}}+\ell, \nu$


Events at LHC with $5 \mathrm{fb}^{-1}$ integrated luminosity

| SPS 1a | Case A | Case B | Case C | Case D | Case E |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 185,544 | 161,284 | 156,020 | 152,342 | 11,589 | 17,921 |

## Discovery of New Physics

- Most inclusive SUSY discovery tool: $M_{\mathrm{eff}}=p_{T, 1}+p_{T, 2}+p_{T, 3}+p_{T, 4}+E_{T}$

- Event selection criteria:
* $N_{\text {jets }} \geq 4$, with $p_{T, 1}^{\text {jet }} \geq 100 \mathrm{GeV}$ and $p_{T, i}^{\text {jet }} \geq 50 \mathrm{GeV}$ for $i=2,3,4$ No isolated leptons with $p_{T} \geq 20 \mathrm{GeV}$
Transverse sphericity $S \geq 0.2$
Missing $E_{T}$ of at least 100 GeV


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Baer, Chen, Paige, Tata, PRD52 (1995) 2746


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Transverse sphericity $S \geq 0.2$
Missing $E_{T}$ of at least 100 GeV


## Where are the exotic events?

- Try something more inclusive: $M_{\mathrm{eff}}=\sum_{i}^{\text {all }} p_{T, i}+E_{T}$

- Event selection criteria:
* $N_{\text {jets }} \geq 2$, with $p_{T, i}^{\text {jet }} \geq 50 \mathrm{GeV}$
* Any number of isolated leptons with $p_{T} \geq 10 \mathrm{GeV}$
* Transverse sphericity $S \geq 0.2$
* Missing $E_{T}$ of at least 100 GeV


## Inclusive Signature Counts: LQ Cases D and E



Inclusive signatures (all have $E_{T} \geq 100 \mathrm{GeV}, S \geq 0.2$ )

- (A) Inclusive multijets with $N_{\text {jets }} \geq 3$, no isolated leptons, $p_{T, i}^{\text {jet }} \geq 100 \mathrm{GeV}$ for $i=1,2,3$
- (B) One lepton plus jets
- (C) OS dileptons plus jets
- (D) SS dileptons plus jets
- (E) Trileptons plus jets
- (F) Three taus plus jets

Leptons/taus must be isolated with
$p_{T} \geq 20 \mathrm{GeV}$
For (B)-(F) we require $N_{\text {jets }} \geq 2$,
$p_{T, 1}^{\text {jet }} \geq 100 \mathrm{GeV}, p_{T, 2+}^{\text {jet }} \geq 50 \mathrm{GeV}$

## "The Background to SUSY is More SUSY"



Inclusive signatures
(all have $E_{T} \geq 100 \mathrm{GeV}, S \geq 0.2$ )

- (A) Inclusive multijets with $N_{\text {jets }} \geq 3$, no isolated leptons,

$$
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## Add Fermionic LEP Cases



Inclusive signatures
(all have $E_{T} \geq 100 \mathrm{GeV}, S \geq 0.2$ )

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$$
p_{T, i}^{\text {jet }} \geq 100 \mathrm{GeV} \text { for } i=1,2,3
$$

- (B) One lepton plus jets
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- (D) SS dileptons plus jets
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Leptons/taus must be isolated with $p_{T} \geq 20 \mathrm{GeV}$
For (B)-(F) we require $N_{\text {jets }} \geq 2$, $p_{T, 1}^{\text {jet }} \geq 100 \mathrm{GeV}, p_{T, 2+}^{\text {jet }} \geq 50 \mathrm{GeV}$

## Missing Transverse Energy Distribution




## Correlation: Leptonic Effective Mass with $E_{T}$

## Case A: Events with two or more leptons



## Correlation: Leptonic Effective Mass with $E_{T}$

## Case A: Events with two or more leptons



## Isolating the Exotic Component

- Form invariant mass of hardest lepton and second hardest jet in the event

- Event selection criteria:
* Precisely two jets and two opposite-sign leptons, no $E_{T}$ cut
* Veto B-jets and demand both jets have $p_{T} \geq 50 \mathrm{GeV}$
* Require transverse sphericity $S \leq 0.7$
* Hardest lepton must have $p_{T} \geq 50 \mathrm{GeV}$, trailing lepton must have $p_{T} \geq 20 \mathrm{GeV}$


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## Dilepton Invariant Mass Distribution

- Flavor-subtracted invariant mass of dilepton pairs

$$
M_{\mathrm{inv}}\left(e^{+} e^{-}+\mu^{+} \mu^{-}-e^{+} \mu^{-}-\mu^{+} e^{-}\right)
$$



- Event selection criteria:
* $N_{\text {jets }} \geq 4$ with $p_{T, 1} \geq 150 \mathrm{GeV}, p_{T, 2} \geq 100 \mathrm{GeV}$ and $p_{T, 3} \geq 50 \mathrm{GeV}$
* Precisely two leptons, each having $p_{T} \geq 15 \mathrm{GeV}$
* Missing $E_{T}$ of at least 150 GeV


## Dilepton Invariant Mass Distribution

- Flavor-subtracted invariant mass of dilepton pairs

$$
M_{\mathrm{inv}}\left(e^{+} e^{-}+\mu^{+} \mu^{-}-e^{+} \mu^{-}-\mu^{+} e^{-}\right)
$$



- "Lowest rung" on SUSY mass reconstruction ladder
- Degradation in kinematic edge measurement $\Rightarrow$ uncertainty in reconstructing $m_{\chi_{2}^{0}}-m_{\chi_{1}^{0}}$
- All other exclusive measurements/reconstructions hang on this initial measurement!


## Conclusions and Outlook

$\Rightarrow \mathrm{SU}(2)$-singlet quarks the simplest, well-motivated extension of the MSSM - yet hardly studied at the LHC
$\Rightarrow$ Some "rethinking" of our SUSY-playbook is in order
$\Rightarrow$ Future interesting directions:

- Try fitting plain-vanilla MSSM to these inclusive signatures - where (and when) do the fits break down?
- How robust are SUSY extraction \& measurement algorithms?
- Need a more sophisticated treatment of diquark cases
- Can we reconstruct the exotic fermion in these cases? Can the associated production mode be observed?
$\Rightarrow$ "What-if" cases like these are good practice for the LHC data era!


## Supporting Slides

## Bounds: Indirect Limits

$\Rightarrow$ Indirect constraints more model dependent: family structure, $B(D)$ and $L(D)$ assignments, $U(1)$-prime charges, SUSY breaking etc.
$\Rightarrow$ For our leptoquarks, strongest constraint is $\mu-e$ conversion

- Exchange of $D_{0}, D_{0}^{c}$ in the s-channel (fewer diagrams than $\mathbb{R}_{p}$ MSSM)
- Limit from SINDRUM II: $\quad \frac{\sigma\left(\mu^{-} T_{i} \rightarrow e^{-} T_{i}\right)}{\sigma\left(\mu^{-} T_{i} \rightarrow \text { capture }\right)}<4.3 \times 10^{-13}$

$$
\Rightarrow \lambda^{6,7}<3 \times 10^{-4}\left(\frac{m_{D_{0}}}{100 \mathrm{GeV}}\right)
$$

$\Rightarrow$ For our diquarks, strongest constraint is $K_{L}-K_{S}$ mass difference

- Most important contribution is box diagram with two exotic supermultiplets with two $u, c, t$ supermultiplets
- Assuming external $d$ and $s$ and internal $u$ a typical bound is

$$
\lambda^{9,10}<0.04\left(\frac{\max \left(m_{\tilde{u}_{i}}, m_{D_{0}}\right)}{100 \mathrm{GeV}}\right)^{1 / 2}
$$

## Quasi-Stable: Hadronization

$\Rightarrow$ Exotics stable on timescale of detector will hadronize $\Rightarrow R$-hadrons

- Exotic component can be scalar or fermion
- Can produce LEP in pairs or NLEP with cascade decays to LEP
- R-hadrons contain one less active quark than split-SUSY analogs (total cross section for interaction with nucleons reduced)
$\Rightarrow$ Lowest-lying R-hadrons: $D \bar{d}, D \bar{u}, D d d, D u u$ and two combinations of $D d u$ (plus anti-states).
- Bulk of R-hadron mass accounted for by exotic
- Exotic component largely sterile in interactions
- R-mesons lightest, approximately degenerate in mass
- Of R-baryons, neutral Dud in s-wave configuration lighter than p-wave or charged Ddd, Duu states


## R-hadrons in the Calorimeter System

$\Rightarrow$ Interactions: elastic scattering off nucleons, charge-exchange interactions, meson-to-baryon/baryon-to-meson interactions

- R-mesons $D \bar{q}$ transition to baryons by producing a light pion $\Rightarrow$ resulting $D q q$ R-baryon remains a baryon (absence of anti-quarks in detector material)
- R-baryon $D^{c} \bar{q} \bar{q}$ rapidly transitions to R-meson $D^{c} q$ through quark/anti-quark annihilation $\Rightarrow \mathrm{R}$-meson $D^{c} q$ remains an R -meson throughout calorimeter
- Typical interaction crosssection $\sim 12 \mathrm{mb}$ (mesons), $\sim 24 \mathrm{mb}$ (baryons)
- Implies 6-10 interactions through calorimeter
- Typical energy loss per interaction is $0.2-2.2 \mathrm{GeV}$ for $E_{\text {kin }} \sim 400 \mathrm{GeV}$
A. Kraan, Eur. Phys. Jour., C37 (2004)



## R-hadrons in the Muon System

$\Rightarrow$ Most (but not all) R-hadrons punch-through to muon system

- D's arrive as neutral R-baryons, $D^{c}$ s as neutral or charged R-mesons
- Charged R-mesons leave track in muon system
- Particle ID: $\beta$ typically much lower than that for muons
$\Rightarrow$ Key observable is time-of-flight (TOF) across some fiducial length
- Temporal resolution in muon system at ATLAS/CMS is $\sigma_{t} \sim 1.5 \mathrm{~ns}$
- Restive plate chambers spaced apx. 1 meter apart; separation between first and last plate $\sim 3$ meters
- Require $\Delta$ TOF across 3 m for exotic relative to $\beta \simeq 1$ muon to be greater than 3 ns
- Also require arrival at muon chamber within $18 \mathrm{~ns}\left(\beta_{D} \geq 0.5\right.$ )

Nisati, Petrarca, Salvini, Mod. Phys. Lett., A12 (1997)
$\Rightarrow$ Using TOF in the muon system provides highly significant $S / \sqrt{B}$
Kraan, Hansen, Nevski, hep-ex/0511014 (2005)

## Triggering

$\Rightarrow$ Low-level triggers look at calorimetery and muon system individually

- Direct production of LEP pairs $\Rightarrow$ little $E_{T}^{\text {sum }}$ in calorimeter (typically 10-50 GeV)
- Produced back-to-back in c.m. frame $\Rightarrow$ little $E_{T}^{\text {miss }}$ as well
- Remains true if NLEP pair produced with, e.g., $D_{0} \rightarrow D_{1 / 2} \widetilde{\chi}_{1}^{0}$ (typically $E_{T}^{\text {miss }} \lesssim 35 \mathrm{GeV}$ )
- Can trigger on the (single) muon track if minimum threshold for $p_{T}$ is met (we take $p_{T}^{\min }=15 \mathrm{GeV}$ ).



## Quasi-Stable: Overall Acceptance

Benchmark Point

|  | A | B | C | D | E |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Geom. Accept. | $75.5 \%$ | $79.9 \%$ | $82.3 \%$ | $86.8 \%$ | $82.5 \%$ |
| Charged Frac. | $25.2 \%$ | $25.0 \%$ | $25.1 \%$ | $25.2 \%$ | $25.4 \%$ |
| Temp. Accept. | $82.7 \%$ | $82.8 \%$ | $81.9 \%$ | $79.1 \%$ | $76.9 \%$ |
| TOF | $97.3 \%$ | $96.5 \%$ | $97.2 \%$ | $97.3 \%$ | $97.0 \%$ |
| Total Accept. | $15.3 \%$ | $16.0 \%$ | $16.5 \%$ | $16.9 \%$ | $15.6 \%$ |
| $N_{\text {signal }}\left(\times 10^{3}\right)$ | 120 | 119 | 119 | 11.2 | 26.6 |
| $N_{\text {stop }}\left(\times 10^{3}\right)$ | 11.1 | 10.8 | 11.3 | 1.36 | 4.56 |

- Geometrical acceptance represents the fraction of R-hadrons that are produced with $|\eta| \leq 2.4$
- Temporal acceptance represents the fraction of charged non-stopping R-hadrons that arrive within 18 ns of the primary interaction for the event
- The percentage that traverse a 3 meter fiducial distance at least 3 ns slower than a $\beta=1$ muon would is given by TOF
- The product of these fractions is the total acceptance
- The number of signal events (as well as the number of stopping R-hadrons) is given for $10 \mathrm{fb}^{-1}$ of integrated luminosity


## Quasi-Stable: Reach at LHC



